

Supporting Information

Stengel et al. 10.1073/pnas.0910126107

SI Text

Methods. Thermodynamic analysis of HSP18.1 oligomerization. There are two reasonable methods for considering the relative stability of the oligomers, where the concentration of the i th oligomer is given by $[P_i]$, and the concentration of monomers forming i mers is given by $i[P_i]$. The 'step-wise' free energy method (ΔG_{ST}) is based on sequential equilibria between protein oligomers of the form $P_1 + P_{i-1} \rightleftharpoons P_i$, with the corresponding free energy for each oligomer given by $\Delta G_{ST,i} = -RT \ln \frac{[P_i]}{[P_{i-1}][P_1]}$.

Alternatively, we can consider the relationship between a protein oligomer with its constituent monomers according to the equilibria $iP_1 \rightleftharpoons P_i$ to allow us to directly compare the relative stabilities of all oligomers, with respect to the concentration of free monomers. The corresponding 'average free energy per monomer' is given by $\Delta G_{AV,i} = -RT \ln \frac{[P_i]}{[P_1]^i}$, which reveals the difference between a monomer in solution and its bound state. This quantity is entirely independent of the formation mechanism, relying solely on the equilibrium concentration of the oligomer of interest, and the concentration of free monomer.

The concentration of each oligomer can be expressed as a function of the equilibrium constants and the concentration of free monomer according to either $[P_i] = P_1 K_{AV,i}$ or $[P_i] = \sum_{k=1}^i K_{ST,k} [P_1]^k$, where $K_{AV,1} = K_{ST,1} = 1$. The two equilibrium constants are therefore related through: $K_{AV,i} = \sum_{k=1}^i K_{ST,k} P_1^{i-k}$.

In such a system it is important to distinguish between the total oligomer concentration, $\sum_{i=1}^n [P_i]$, and the total concentration of monomers in the system, $\sum_{i=1}^n i[P_i]$. While the former varies with temperature-induced changes in the equilibrium size distribution, the latter does not and can be defined as $\sum_{i=1}^n i[P_i] = \sum_{i=1}^n i K_{AV,i} [P_1]^i = \sum_{i=1}^n \sum_{k=1}^i K_{ST,k} [P_1]^k$. From a complete set of equilibrium constants $[P_i]$ and hence the concentration of subunits partitioned into this oligomeric state $i[P_i]$ can be determined.

By plotting ΔG versus T we obtained ΔH and ΔS values for both the stepwise and average quantities. In the case of data presented here, the reduced χ^2 values $\chi^2/(N-p)$, where N is the number of data points, and p is the number of parameters, and $\chi^2 = \sum_i^N \frac{(\Delta G_i^{exp} - \Delta G_i^{calc})^2}{\sigma_i^2}$ were determined to be in the range 1–1.5 when fitting to the linear model of $\Delta G = \Delta H - T\Delta S$.

We compared this to a more complex model $\Delta G = \Delta H^0 + \Delta C_p (T - T_0) - T(\Delta S^0 + \Delta C_p \ln[T_0/T])$, where T_0 is a reference temperature, ΔH^0 and ΔS^0 are the enthalpy and entropy changes at this temperature, and ΔC_p is the change in heat capacity. An F-test between the fits to these models gave p values between 0.06 and 0.25 indicating that our measurements do not detect significant variation in heat capacity over the temperature range studied.

1. Benesch JLP, Aquilina JA, Ruotolo BT, Sobott F, Robinson CV (2006) Tandem mass spectrometry reveals the quaternary organization of macromolecular assemblies. *Chem Biol* 13:597–605.
2. Benesch JLP, Sobott F, Robinson CV (2003) Thermal dissociation of multimeric protein complexes by using nanoelectrospray mass spectrometry. *Anal Chem* 75:2208–2214.
3. Heck AJR, van den Heuvel RHH (2004) Investigation of intact protein complexes by mass spectrometry. *Mass Spectrom Rev* 23:368–389.
4. Kaltashov IA, Mohimen A (2005) Estimates of protein surface areas in solution by electrospray ionization mass spectrometry. *Anal Chem* 77:5370–5379.
5. de la Mora JF (2000) Electrospray ionization of large multiply charged species proceeds via Dole's charged residue mechanism. *Anal Chim Acta* 406:93–104.
6. Benesch JLP (2009) Collisional activation of protein complexes: Picking up the pieces. *J Am Soc Mass Spectrom* 20:341–348.
7. McKay AR, Ruotolo BT, Ilag LL, Robinson CV (2006) Mass measurements of increased accuracy resolve heterogeneous populations of intact ribosomes. *J Am Chem Soc* 128:11433–11442.

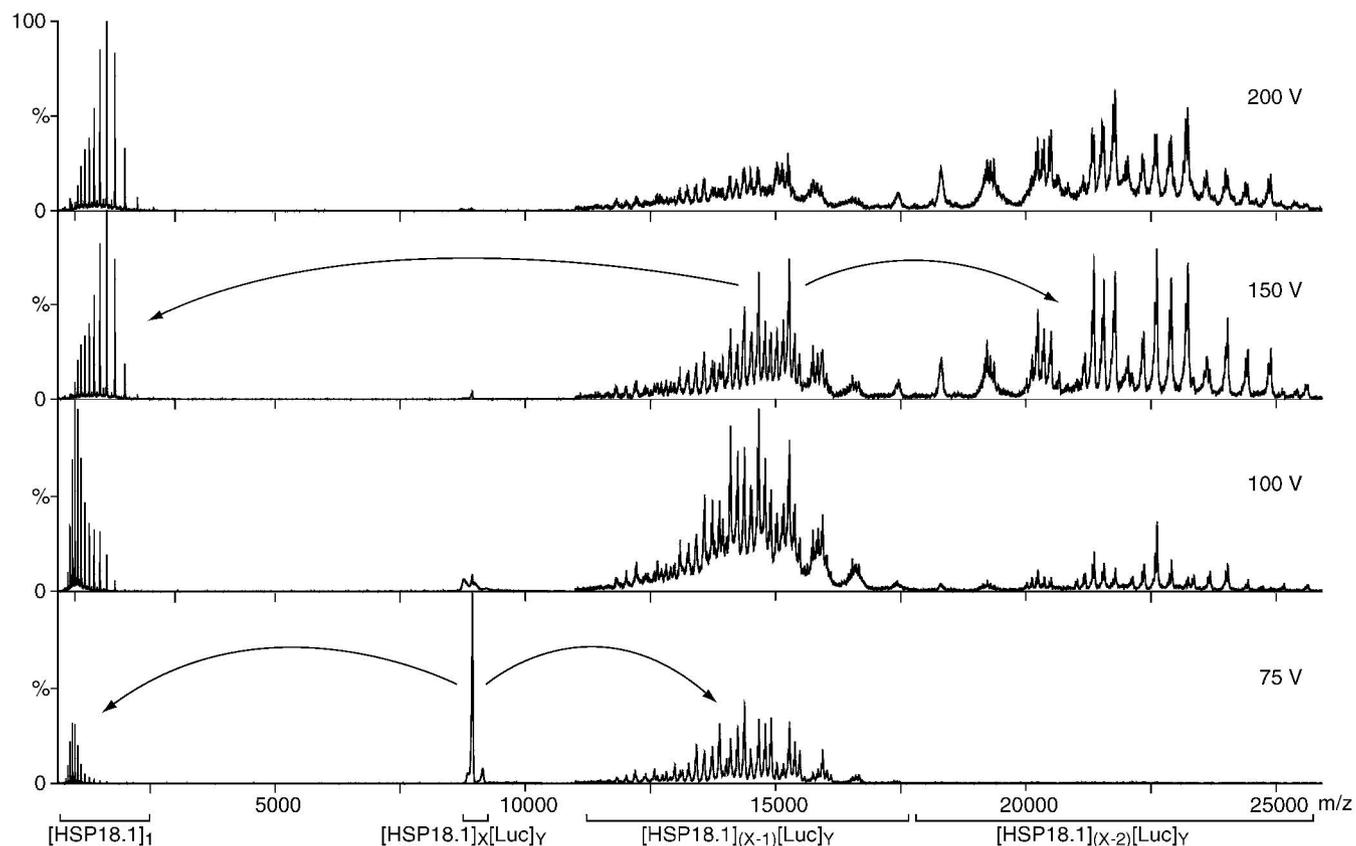


Fig. 56. Tandem-MS of HSP18.1:Luc complexes. The general mechanism of dissociation of protein complexes upon collisional activation is the loss of highly charged monomers from the parent oligomers (6). Moreover, multiple subunits can be removed, in a sequential manner, depending on the amount of activation (1). Performing tandem-MS of the peak at 8,950 m/z , as in Fig. 3, results in monomers at low m/z , and two distinct regions of signal at high m/z , centered at approximately 14,000 m/z , and approximately 22,000 m/z , respectively. At an acceleration voltage into the collision cell of 75 V only the former is populated. As the voltage is increased the latter region becomes progressively more dominant, such that at 200 V most of the signal resides therein. This shows that these regions therefore correspond to oligomers stripped of one and two monomers, respectively.

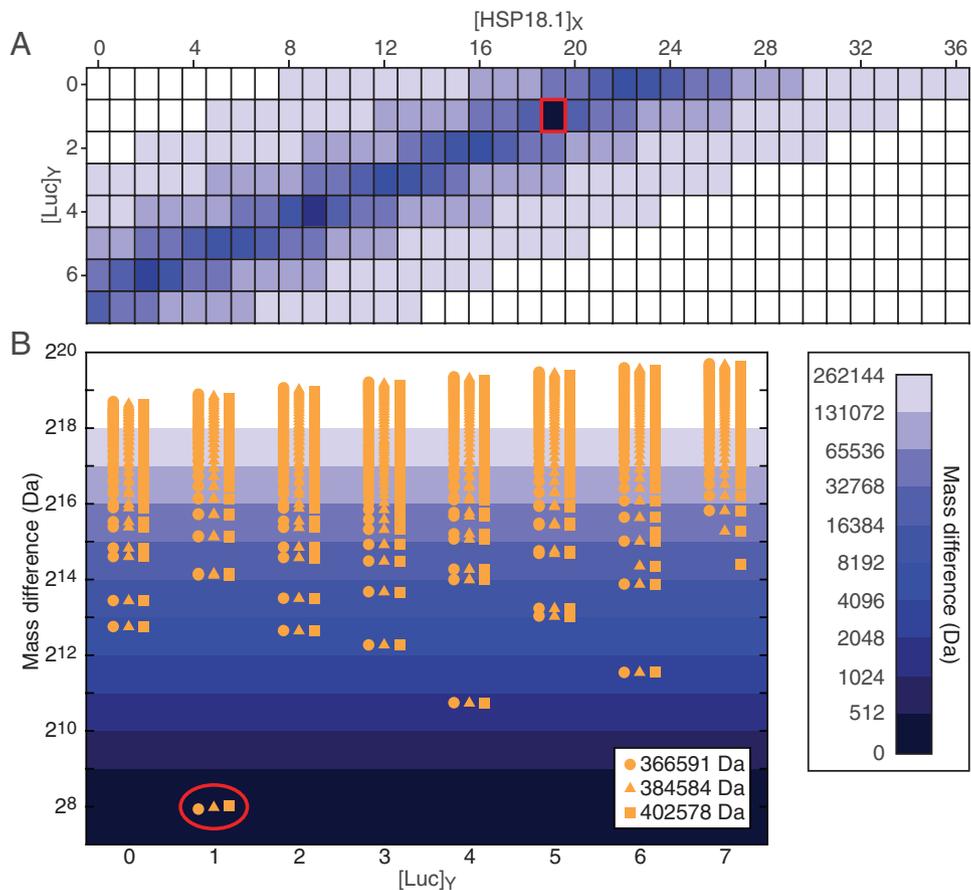


Fig. S7. Assignment of HSP18.1:Luc complexes. To assign the masses for complexes we measured in our tandem-MS spectra to particular combinations of HSP18.1 and Luc we constructed a matrix of theoretical masses based on the sequences of the individual proteins. Each measured mass was then compared to all possible combinations, and that with the lowest difference was taken to be the correct assignment. For example, from the spectrum shown in Fig. 3B, we obtained a mass from a charge state series of 402,578 Da. Comparing this with our theoretical matrix results in one possible combination, $[HSP18.1]_{19}[Luc]_1$, of much better correspondence than all others (A). The same procedure for other masses obtained from Fig. 3B, 366,591 Da and 384,584 Da, results in similarly unambiguous assignment (B). Common to all spectra of protein assemblies, a small discrepancy between measured and theoretical masses remains, due to the presence of residual solvent molecules and buffer ions (7).

3)

$$K_{AV,i} = \sum_{k=1}^i K_{ST,k} [P_1]^{i-1}$$

4)

$$\sum_{i=1}^n i[P_i] = \sum_{i=1}^n iK_{AV,i}[P_1] = \sum_{i=1}^n i \sum_{k=1}^i K_{ST,k}[P_1]^i$$

5)

$$\chi^2 = \sum_i^N \frac{(\Delta G_i^{\text{exp}} - \Delta G_i^{\text{calc}})^2}{\sigma_i^2}$$